# racial analysis of plotosus canius hamidton from HOOGHLY-MATLAH ESTUARY AND CHILKA LAKE* 

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#### Abstract

Racial analysis of Plotosus canius of two localities, viz. Hooghly-Matlah estuarine system and Chilka Lake, done by testing the significance of generalised distance between selected morphometric measurements of two samples, by computing Mahalanobis's $\mathrm{D}^{\mathbf{2}}$, indicated morphometrically homogeneous stocks. It can, thus, be concluded that populations of these two locelities, originally been drawn from the same stock inhabiting Bay of Bengal and become endemic to their specific locality during course of time, have not changed in their morphometric characters in their new localities.


## Introduction

Plotosus canius Hamilton, the canine catfisheel from the tropical estuarine waters, belonging to the family Plotosidae, forms a considerable part of the catfish catch from estuaries and brickishwater lakes of India. A knowledge of biological properties of any species is of paramount importance, both for judicious hanagement of its population, as well as, to assess its suitability for culture purposes. The available information on the biology of $\boldsymbol{P}$. canius in the literature is scanty. Thus, studies on biological properties of this species in Hooghly-Matlah estuarine system and Chilka lake, the largest estuary and brackishwater like of the country respectively, were undertaken by the author.

Racial analysis for ascertaining the homosehity of the populations, inhabiting same or different localities, is a sine-qua-non for any detailed biological investigation. The purpose iff the present study was to determine whether

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P. canius of Hooghly-Matlah system and Chilka Lake formed morphometrically distinguishable stocks or morphotypes and to determine their morphotype, if any, on the basis of selected set of morphometric variables.

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## Material and Methods

The material for the present study was collected from commercial catches landed at fish assembly centres at Kakdwip and Port Canning of Hooghly-Matlah estuarine system and Balugaon of Chilka Lake during the period 1974-76. Only the following non-meristic morphometric characters were considered: Total length (LT), Standard Length (LS), Pre-optical distance (POP), Eye diameter (OP), Head length (LH), Pre-dorsal distance (LD), Pre-pectoral distance (LPC), Pre-pelvic distance (LPV), Pre-anal distance (LA), Interdorsal
space (ID), and Distances from caudal peduncle to dorsal fin base (PD), pectoral fin base (PPC), pelvic fin base (PPV), and anal fin base (PA). The various characters, the set of their symbolic notations and definitions
computing Mahalanobis's $\mathbf{D}^{2}$, based on selected characters, following the procedure described by Rao (1952), was used for racial analysis of P. canius.

The variance-covariance matrix of the pooled sample of the two localities was calcu-


Fig. 1. P. Canius showing various morphometric measurements studied
for their identity are illustrated in Fig. 1. Morphometric measurements of 77 fishes from Hooghly-Matlah system and 43 from Chilka Lake, consisting of all available size ranges, were used in this study.

The method of testing the significance of generalised distance between two samples by
lated by dividing the pooled sums of squares and products matrix of all the selected characters (say ' p ' variates) by $\left(\mathrm{N}_{1}+\mathrm{N}_{2}-2\right)$, where $\mathrm{N}_{1}$ and $\mathrm{N}_{2}$ are the sample size of the two populations respectively.

The inverse matrix ( $\mathrm{C}_{\mathrm{ij}}$ ) was then calculated by following the square root method of Dwyre
(1941), with minor modifications by Sarhan et al. (1957), as given by Bliss (1970). The method involves first the calculation of $\mathrm{A}_{\mathrm{ij}}$ madrix. Then the $\mathrm{A}_{\mathrm{ij}}$ matrix is inverted, procoelling step by step, commencing from the batiom right corner of the $\mathrm{A}_{\mathrm{ij}}$ matrix, to obtain $\mathrm{C}_{\mathrm{ij}}$ matrix.

The $b_{1 . i}(i=1 \ldots \ldots p)$ values were next calculated by post-multiplying the (d)) vector by $\mathbf{C}_{\mathrm{ij}}$ matrix. The arrangement is shown below in mitrix notation:

$$
\left.\begin{array}{rl}
\left(b_{1,} \ldots . b_{1 . p}\right)= & \left(d_{1}, d_{2} \ldots \ldots . d_{p}\right) \times \\
& \left\{\begin{array}{ll}
C_{1.1}, & c_{2.1} \ldots \ldots \\
C_{1.2} & C_{2.2} \ldots \ldots, \\
C_{p .2}
\end{array}\right\} \\
\vdots \\
C_{1 . p}, & c_{2 . p} \ldots \ldots, C_{p . p}
\end{array}\right\}
$$

$D^{2}$ values were then calculated by using the undermentioned formula:

$$
d_{1} \times b_{1.1}+d_{2} \times b_{1.2}+\ldots \ldots+d_{p} \times b_{1 . p}=D^{2}
$$

It is known that the ratio (called Calc. F) is distributed as a variance ratio following the $F$ distribution on ( $N_{1}+N_{2}-p-1$ ) and ' $p$ ' dif To test the significance between the differences of means of ' $p$ ' characters of two populations, by employing statistics, $F$ test was performed on the Calc. $F$ by using the formula:
Calc. $F=\frac{N_{1}+N_{2}-p-1}{\left(N_{1}+N_{2}-2\right) p} \times \frac{N_{1} \times N_{2}}{N_{1}+N_{2}} \times D^{2}$

## Statistical Computations

## Selection of characters

Originally, observations on fourteen nonmeristic characters were recorded in the present investigation. After a preliminary screening


Table 2. Sums of squares and sums of products matrix of samples from Hooghty-Matlah Estuory

|  | $x_{1}$ | $X_{2}$ | $x_{3}$ | $\mathrm{X}_{4}$ | $x_{5}$ | $X_{6}$ | $x_{7}$ | $\mathrm{X}_{8}$ | $\mathbf{X}_{9}$ | $x_{10}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $X_{1}$ | 465600 | 99548 | 113407 | 89933 | 159265 | 190170 | 311501 | 345377 | 281046 | 254045 |
| $X_{2}$ |  | 21537 | 24415 | 19417 | 34178 | 40897 | 66415 | 73678 | 59976 | 54200 |
| $\mathbf{X}_{3}$ |  |  | 27900 | 22075 | 38842 | 46463 | 75948 | 83959 | 68378 | 61834 |
| $X_{4}$ |  |  |  | 17757 | 30808 | 36815 | 60076 | 66465 | 54275 | 49104 |
| $x_{5}$ |  |  |  |  | 68790 | 66133 | 95320 | 118069 | 95598 | 86319 |
| $x_{6}$ |  |  |  |  |  | 79541 | 126712 | 140987 | 114259 | 102975 |
| $x_{7}$ |  |  |  |  |  |  | 218342 | 231630 | 188020 | 170187 |
| $\mathrm{X}_{8}$ |  |  |  |  |  |  |  | 257510 | 208758 | 188558 |
| $X_{9}$ | - |  |  |  |  |  |  |  | 170651 | 154229 |
| $X_{10}$ |  |  |  |  |  |  |  |  |  | 139722 |

Table 3. Sums of squares and stums of products matrix of samples from Chilka Lake

|  | $\mathrm{X}_{1}$ | $\mathrm{X}_{2}$ | ${ }_{3}$ | $X_{4}$ | $x_{5}$ | $\underset{6}{x}$ | $\underset{7}{X}$ | $\begin{gathered} \mathrm{X} \\ 8 \end{gathered}$ | $\underset{9}{\mathrm{X}}$ | $X_{10}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $x_{1}$ | 296788 | 63924 | 73885 | 54368 | 105608 | 122547 | 202264 | 219745 | 171917 | 157476 |
| $X_{2}$ |  | 13926 | 16066 | 11827 | 22800 | 26404 | 434445 | 47203 | 37020 | 33912 |
| $X_{3}$ |  |  | 18575 | 13649 | 26307 | 30465 | 50363 | 54563 | 42801 | 39173 |
| $X_{4}$ |  |  |  | 10725 | 19463 | 22491 | 37095 | 40193 | 31567 | 28876 |
| $X_{5}$ |  |  |  |  | 38084 | 433994 | 71050 | 77972 | 61063 | 54123 |
| $X_{6}$ |  |  |  |  |  | 51159 | 82702 | 90467 | 71066 | 64933 |
| $x_{7}$ |  |  |  |  |  |  | 142857 | 150488 | 117521 | 107241 |
| $X_{8}$ |  |  |  |  |  |  |  | 163966 | 127892 | 116616 |
| $X_{9}$ |  |  |  |  |  |  |  |  | 100829 | 91851 |
| $X_{10}$ |  |  |  |  |  |  |  |  |  | 84098 |

Table 4. Pooled variance-covariance matrix of samples from two localities

of variations in the magnitude of different characters and their relationships with total lengths, only ten characters were selected for detailed analysis. These characters have been designated as follows in statistical computations ahead:

| Total length (LT) | X, |
| :---: | :---: |
| Head length (LH) | $X_{2}$ |
| Pre-dorsal distance (LD) | $\mathrm{X}_{8}$ |
| Pre-pectoral distance (LPC) | $\mathrm{X}_{4}$ |
| Pre-pelvic distance (LPV) | $\mathrm{X}_{5}$ |
| Pre-anal distance (LA) | $\mathrm{X}_{6}$ |
| Distance from Dorsal fin base to caudal peduncle (PD) | $\mathrm{X}_{7}$ |
| Distance from Pectoral fin base to caudal peduncle (PPC) | $\mathrm{X}_{8}$ |
| Distance from Pelvic fin base to caudal peduncle (PPV) | $\mathrm{X}_{9}$ |
| Distance from Anal fin base to caudal peduncle (PA) | $\mathrm{X}_{10}$ |

Table 1 shows the values of means and variances of the selected ten morphometric characters of the samples from two localities. Localitywise sums of squares and products of these characters are shown in Table 2 (HooghlyMatlah Estuary) and Table 3 (Chilka Lake). The pooled variance-covariance matrix of the two samples are given in Table 4.

## Test for equality of fish sizes in samples

It is evident from Table 1 that the mean total lengths $\left(\bar{X}_{1}\right)$ of the samples from two localities were not identical, having a difference of 4.228 mm . If this difference is significant, the two samples would not be comparable. As such it was felt essential to see whether the difference between the two mean total langths is statistically significant or not before proceeding with further analysis of the data. Test of significance was thus performed employing ' $t$ ' test where:
Calc. $t=\frac{\bar{X}_{1.1}-\bar{x}_{1.2}}{\sqrt{\frac{8 s}{\overline{S N}_{1}+N_{2}-2}\left(\frac{1}{N_{1}}+\frac{1}{N_{2}}\right)}}$
on $\mathrm{N}_{1}+\mathrm{N}_{5} \mid 2$ dif.
where $X_{1,}$ and $X_{1,2}$ are the mean total lengths of the samples from two localities, HooghtyMatlah Estuary (suffix 1) and Chilka Lake (suffix 2), ss $\mathrm{X}_{1}$ is pooled sums of squares $\overline{\mathrm{N}_{1}+\mathrm{N}_{2}-2}$
deviations from mean of the two samples divided by total number in samples less two, or, the estimate of the squared standard error of difference in means ( $\mathrm{s}^{2}$ ), and $\mathrm{N}_{1}$ and $\mathrm{N}_{2}$ are the total number in samples from the two tocalities.

In the present case, the above values for total length are:
$\begin{aligned} & \bar{X}_{1.1}=266.3766, \overline{\mathrm{X}}_{1.2}-270.6046 \ldots(\text { Table 1) } \\ & \mathrm{s}^{2}=6460.91 \ldots \ldots \ldots \ldots \ldots \ldots . \text { (Table 4) } \\ & \mathrm{N}_{1}=77, \mathrm{~N}_{2}=43 \ldots \ldots \ldots \ldots \ldots \text { (Table 1) } \\ & \text { Thus, }\end{aligned}$
Calc. $t=\frac{266.3766-270.6046}{}$ on 118 d.f.

$$
\begin{aligned}
& \sqrt{6460.91 \times\left(\frac{1}{77}+{ }_{43}^{1}\right)} \\
& =\frac{-4.2280}{15.30} \text { on } 118 \text { d.i. } \\
& =-0.2763
\end{aligned}
$$

The calculated ' $t$ ' value of 0.2763 , obtained above, is non-significant even at $10 \%$ level at 118 d.f. (t. ${ }_{10}=1.658$ ). It was thus, established that eventhough, the mean total lengths of the samples from two localities were not identical, their difference being statistically non-significant, the samples could be treated as identical in regard to size.

## Construction of $D^{2}$

The inverse matrix, called the $C_{i j}$ matrix is shown in Table 5 and the ' $b$ ' values are shown in Table 6.
$D^{2}$ value computed from the above data was found to be 0.78800092 .

## Test criterion

To test the hypothesis specifying no difference in the mean values of the ten characters from two populations of $P$. canius, $F$ value was calculated as under:

$$
\text { Calc. } \begin{aligned}
F & =(77+43-10-1 \\
& =0.09237288 \times 2) \times \frac{71}{77} \times 43 \\
& =2.0084 \text { on } 10 \text { and } 118 \text { d.f. }
\end{aligned}
$$

This value was found to be non-significant even at $10 \%$ level ( $F_{\text {. }_{0}}=2.068$ at 10 and 118 d.f.). It can, as such be inferred that the two populations, inhabiting Hooghly - Matlah Estuary and Chilka Lake, are morphometrically not distinct and no significant discriminant function can be developed between them. Thus, the populations of these two localities can be taken as homogeneous to each other.

Table 6 ' $b$ ' values

| $b_{1.1}$ | $=-0.24290051$ |
| ---: | :--- |
| $b_{1.2}$ | $=-0.42038835$ |
| $b_{1.3}$ | $=0.17286366$ |
| $b_{1.4}$ | $=0.00792861$ |
| $b_{1.5}$ | $=0.06487316$ |
| $b_{1.6}$ | $=0.06932351$ |
| $b_{1.7}$ | $=0.07509266$ |
| $b_{1.8}$ | $=0.14643951$ |
| $b_{1.9}$ | $=-0.24652514$ |
| $b_{1.10}$ | $=0.22663763$ |

## Discussion

Three groups of characters, viz. morphological, physiological and ecological have been utilised by different workers for raciation of fish stocks. Morphological characters are
divisible into two: meristic and non-meristic. Meristic characters reflect those features which arise out of metameric divisions during eariy development. Such characters are counts of vertebrae fin-rays, gill-arches, gill-rakers, scales, etc. These characters were employed extensively for fish raciation by earlier workers (Heincke, 1898; Thompson, 1943). But later workers, like Kesteven (1942), found meristic characters unreliable for raciation as they found these characters greatly influenced by temperature and other ecological factors during development.

Non-meristic characters contain the measurements of morphological characters. Biometric indices, defined as ratios of body measurements, were widely used for racial studies of fishes (Kesteven, 1950). But were later discarded, as the ratio indices do not properly reflect the body changes which occur when allometry is present. Adoption of improved methods of regression and covariance analysis for racial studies, based on morphometric measurements, was, thus, suggested and employed by a number of workers (Godsil, 1948; Pillay, 1952; Gromove, 1973).
$D^{\text {s }}$ analysis enables the study of group characterstics, allowing a classification of different groups of individuals in the form of a significant pattern, defining a group constellations and their inter-relationships (Rao, 1952). Royce (1957) indicated the advantage of utilising multivariate analytical tool of statistics for raciation of fishes and stated that a statistics which gets to the heart of this taxonomic problem is the generalised distance function decribed by Mahalanobis (1936). Since then $D^{2}$ statistics is being extensively used for racial studies in fishes (Pillay et al., 1962; Gupta, 1970).

In the present investigation, the $D^{2}$ method has been utilised for morphometric comparison of P. canius collected from Hooghly-Matlah Estuary and Chilka Lake. Ten morphometric characters, carefully selected have been
combined to draw a conclusion whether the populations of this species in these two localities are homogeneous or not. The $\mathrm{D}^{2}$ value, computed from the data, when subjected to $F$ test criterion, gave a nonsignificant value.

Thus, it can be inferred from the above studies, that $P$. canius populations, inhabiting Hooghly-Matiah Estuary and Chilka Lake,
constitute morphometrically homogeneous stock and are not distinguishable by any of the ten meristic characters, considered by this author in the present study. It thus, appears that populations of both these localities, originally drawn from the same stock inhabiting Bay of Bengal and become endemic to their specific localities during course cf time, have not changed in their morphometric characters in their new locality.

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